An Optimization Technology of Software Auto-Tuning Applied to Machine Learning Software TOHOKU

Toshiki Tabeta⁺, Naoto Seki⁺, Akihiro Fujii⁺, Teruo Tanaka⁺, Hiroyuki Takizawa[‡]

+Kogakuin University, ‡Tohoku University

HPC Asia 2020 Introduction

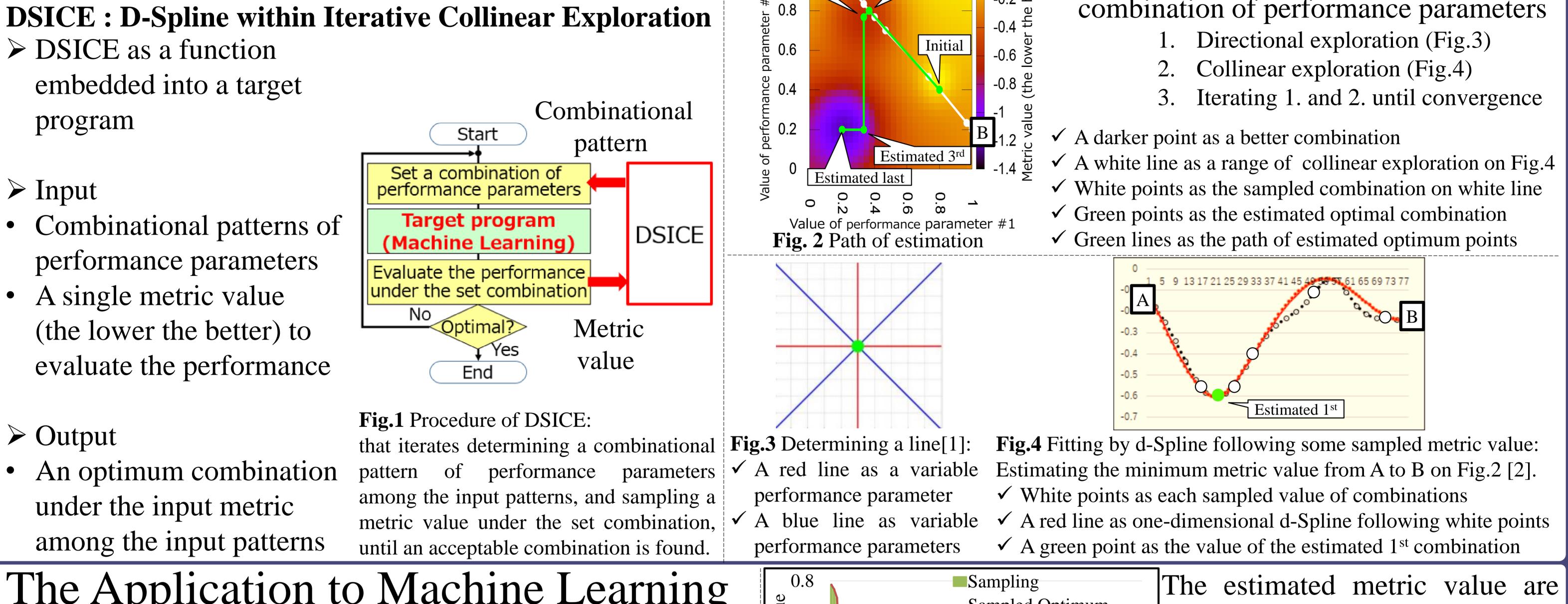
This poster shows to enhance the performance of an application program by software auto-tuning (AT). Performance factors of a target program are formed into performance parameters. So that to enhance performance is said that to estimate an appropriate combination of performance parameters. The estimation while executing a target program should be designed, to set a combination before each execution and evaluate the performance after each execution. For the estimation, we develop a simple AT tool "DSICE". The estimation by DSICE is based on the method of iterative collinear exploration using d-Spline [1][2]. The estimation method is built in the AT infrastructure ppOpen-AT [3]. DSICE makes the estimation method to be used in a more general form. Then we apply DSICE to estimating hyperparameters' configuration of a machine learning model.

The AT Tool "DSICE"



• Algorithm to estimate an optimum combination of performance parameters

KOGAKUIN UNIVERSITY



Estimating hyperpersonators' configuration of a CNN model for 30.4 -Sampled Optimum shown on Fig.5 by DSICE a	
L'atimatina humananananatara' aantiguratian at a ('NN madal far 1904 Mondal far 1904 - July dibululu)SICF
Estimating hyperparameters' configuration of a CNN model for $\frac{1}{2}$ 1	
an object classification problem called CIFAR10 reported in [4]. $\begin{bmatrix} \frac{3}{2} & 0.2 \\ 0 \end{bmatrix}$ converges in 111 iteration	
• Learning model : CNN • Metric value as Z considering $\begin{bmatrix} 1 & 23 & 45 & 67 & 89 & 111 \\ Iteration & Iteration &$	
• Total patterns : 164,025 both of classification accuracy Fig.5: Transition of metric value accumulation of metric value	lue is
Table 1: Hyperparameters of CNN and learning time estimated by DSICE about 45 (green area) for D	SICE,
	a) for
ParametersPatterns $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L}) + (\mathbf{b} \times \mathbf{T})$ $\mathbf{A} Z = (\mathbf{a} \times \mathbf{L})$	SICE
	. 1
Output channels 9 $\blacklozenge a$ as weight for L $\begin{bmatrix} 0 \\ 1 \\ 23 \\ 45 \\ 67 \\ 89 \\ 111 \end{bmatrix}$ accumulation of metric values	le.
$\frac{3^{rd} \text{ layer Neurons}}{9} \blacklozenge b \text{ as weight for } T$ $\frac{1}{Fig.6: Transition of metric value}$	
$\frac{1}{4^{\text{th}} \text{ layer Neurons}} 9 \checkmark a = 1.0, b = 0.5 \text{ in this experiment} \qquad \text{estimated by Random Search}$	

Conclusion

We develop a simple AT tool "DSICE" to estimate a combination of performance parameters for a target program, and apply DSICE to estimating hyperparameters' configuration of a CNN model. DSICE converges efficiently within approximately 100 iterations for 164,025 configuration patterns, and reduces 10% from the accumulation of metric value during estimation. We will apply DSICE to athen performance parameters are program.

Acknowledgments

This study was partially supported by JSPS KAKENHI Grand Number JP 17K00164, JP 18K19782, JP 18K11340 Reference

[1] M. Mochizuki, A. Fujii, T. Tanaka, "Fast Multidimensional Performance Parameter Estimation with Multiple One dimensional d-Spline Parameter Search", The 12th Int'r Workshop on Automatic Performance Tuning (iWAPT2017).
[2] T. Tanaka, R. Otsuka, A. Fujii, T. Katagiri, T. Imamura, "Implementation of d-Spline-based incremental performance parameter estimation method with ppOpen-AT", Scientific Programming, Vol.22, No.4, pp.299-307, 2014.
[3] T. Katagiri, Auto-tuning forTheEra of Relatively High Bandwidth Memory Architectures: ADiscussion Based on an FDM Application, Proceedings of IEEE IPDPSW2018.

[4] Z.Wang, M. Agung, R. Egawa, R. Suda, H. Takizawa, "Automatic Hyperparameter Tuning of Machine Learning Models under Time Constraints", The 2nd Int'r Workshop on Automation in Machine Learning and Big Data (AutoML 2018).